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High Reynolds Number and Turbulence Effects on Aerodynamics and Heat Transfer in a Turbine Cascade

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HIGH REYNOLDS NUMBER AND TURBULENCE EFFECTS ON AERODYNAMICS

AND HEAT TRANSFER IN A TURBINE CASCADE

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Abstract

Experimental data on pressure distribution and heat transfer on a turbine airfoil were obtained over a range of Reynolds numbers from 0.75 to 7.0×10^6 and a range of turbulence intensities from 1.8 to about 15 percent. The purpose of this study was to obtain fundamental heat transfer and pressure distribution data over a wide range of high Reynolds numbers and to extend the heat transfer data base to include the range of Reynolds numbers encountered in the Space Shuttle main engine (SSME) turbopump turbines. Specifically, the study aimed to determine (1) the effect of Reynolds number on heat transfer, (2) the effect of upstream turbulence on heat transfer and pressure distribution, and (3) the relationship between heat transfer at high Reynolds numbers and the current data base. The results of this study indicated that Reynolds number and turbulence intensity have a large effect on both the transition from laminar to turbulent flow and the resulting heat transfer. For a given turbulence intensity, heat transfer for all Reynolds numbers at the leading edge can be correlated with the Frossling number developed for lower Reynolds numbers. For a given turbulence intensity, heat transfer for the airfoil surfaces downstream of the leading edge can be approximately correlated with a dimensionless parameter. Comparison of the experimental results were also made with a numerical solution from a two-dimensional Navier-Stokes code.

Nomenclature

A	area, ft^2
B	curve-fitting polynomial coefficient
C	chord length, ft
d	leading edge diameter, ft
E	mean voltage, volts
Fr(0)	Frossling number at stagnation point, $\text{Nu}_d/(\text{Re}_{\text{inlet}})^{0.5}$
h	heat transfer coefficient, $\text{Btu/hr/ft}^2/°\text{F}$
k	thermal conductivity of air, $\approx 0.0147 \text{ Btu}/(\text{hr/ft}/°\text{F})$
L	total length of airfoil pressure or suction surface, in.
Nu	Nusselt number, h d/k
P	pressure, psia
Pr	Prandtl number
Q	heat flow rate, Btu/hr
Re_{exit}	Reynolds number, based on axial chord and airfoil exit conditions
Re_{inlet}	Reynolds number, based on leading edge diameter and inlet conditions
r	recovery factor, $(\text{Pr})^{1/3} \approx 0.89$
S	blade pitch, in.
s	distance along airfoil pressure or suction surface from airfoil stagnation point, in.
T	temperature, °R
Tu	turbulence intensity, percent
V	fluid velocity, ft/sec
W	flow rate, lb/sec
θ	flow angle, rad or deg
Λ_x	longitudinal integral length scale
μ	dynamic viscosity, lb/ft-sec
ρ	fluid density, lb/ft^3

Subscripts:

0,1,2,3,4	curve-fitting polynomial coefficients
c	chord length
d	leading edge diameter
g	gas
i	input

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[*]Resident Research Associate, NASA Lewis Research Center.

in   inlet

L   loss

LC   liquid crystal

R   recovery

s   surface distance from airfoil stagnation point

st   static

t   total

Superscript:

'   fluctuating velocity component

Introduction

The turbines used in the Space Shuttle main engine (SSME) run at very high pressures and Reynolds numbers. At these extreme conditions, the heat transfer rates to the turbine airfoils are expected to be significantly higher than those of current aeropropulsion turbines. A detailed knowledge of heat transfer at these extreme conditions is necessary to predict airfoil surface temperatures and satisfy life goals.

A large body of flow and heat transfer data over airfoils for current aeropropulsion turbines at lower Reynolds numbers on the order of 10^6 is available in the literature. However, very little information is available for the range of higher Reynolds numbers found in the SSME turbopump turbines.

A Variable Reynolds Number Heat Transfer Cascade Facility was constructed at the NASA Lewis Research Center. Its purpose was to conduct a fundamental study on heat transfer at Reynolds numbers ranging from current aeropropulsion gas turbine levels to those found in the SSME turbopump turbines. The effect of free-stream turbulence on heat transfer and the relationship between heat transfer data at high Reynolds numbers and the current data base was investigated. Turbulence-generating grids were used to vary the turbulence intensity levels in the test section. The facility is capable of operating over a range of Reynolds numbers from 0.75 to over 7.0×10^6 (based on axial chord and airfoil exit conditions) and a range of turbulence intensities from 1.8 to about 15 percent.

Heat transfer and airfoil pressure distribution data were obtained at Reynolds numbers of 0.75, 1.5, 3.0, 5.0, and 7.0×10^6. The measured turbulence intensity levels ranged from 1.8 percent at a Reynolds number of 7.0×10^6 with no grid (clear tunnel case) to 15.1 percent at a Reynolds number of 0.75×10^6 with 1/4-in. grid. Preliminary results from this facility were reported in Schobeiri, McFarland, and Yeh.[1] This paper presents the latest heat transfer and pressure distribution results

from this facility. Experimental heat transfer data are also compared with a numerical solution from the TRAFC2D[2] code.

Facility

General Description

Figure 1 is an illustration of the test facility, including a cutaway view of the test section. Compressed air at 40 psig and ambient temperature flows through an 18-in.-diameter pipe which houses screens and perforated plates for flow conditioning. The maximum flow rate of the facility is about 38 lb/sec; the air flow exits to the laboratory exhaust system at 1.93 psia. Upstream of the test section, boundary layer air is bled from four sides to provide a uniform velocity profile at the test section entrance. The main air, flow as well as each individual bleed air flow, is measured with a sharp-edged orifice.

Test Section

The test section with the cover plate removed is shown in Fig. 2. Visible in this photograph are the airfoil, the contoured sidewalls, the hot film anemometer probe, the inlet and exit flow angle measurement probes, and the Pitot static probe. A turbulence grid, not visible, is located behind the grid cover. Two turbulence grids were used to vary the turbulence intensity in the test section. The grids were of the square-mesh, bi-plane type with square bars, one having 1/8-in. square bars and the other having 1/4-in. square bars. Tests were also conducted using a clear tunnel only (no grid). The ratio of mesh-to-bar width spacing was 4.5, giving a 60-percent open flow area. The traversing anemometer probe, mounted on the test section, is located 3.6 leading edge diameters (6.19 in.) downstream from the grid and 0.77 diameter (1.31 in.) in front of the airfoil leading edge. The anemometer probe was used to survey the turbulence intensity in the pitchwise direction.

Airfoil

The airfoil used in these tests has an axial chord of 8.5 in., an actual chord of 11.09 in., a span of 8.5 in., a solidity of 1.32, a camber angle of 51.7°, and a two-dimensional, constant-section vane to provide a uniform flow field. Coordinates of the airfoil and other geometric information are given in Schobeiri, McFarland, and Yeh.[1] Two airfoils were fabricated: one was used for pressure distribution tests and the other for heat transfer tests. The pressure distribution airfoil is shown in the photograph of Fig. 3. Of the 90 pressure taps on the airfoil, 52 were located at the midspan, and 19 each were located at the hub and tip sections to record any three-dimensionality of the flow field around the airfoil.

The airfoil used for heat transfer tests is shown in Fig. 4. It is overlayed with a thin (0.001-in.) Inconel sheet. Passing an electric current through the Inconel sheet gave a constant heat flux boundary condition. The Inconel sheet was first coated with black paint, then sprayed with a liquid crystal and clear binder mixture. Grid lines were drawn on the airfoil surface to locate the temperature field in the data reduction process. White dots were added as an aid to locate the temperatures indicated by the liquid crystals. Details on the use of the liquid crystal technique on airfoils are given by Hippensteele, Russell, and Torres.[3,4] A thermocouple was also installed on the airfoil to verify the temperature on the Inconel sheet beneath the liquid crystal coating.

Test Procedure

The Reynolds numbers were obtained by varying the inlet flow rate while keeping the inlet pressure approximately constant. Turbulence intensity measurements were obtained by using a constant temperature hot film anemometer, which was installed in a traversing actuator on top of the test section to survey the flow channel in a pitchwise direction at midspan. Heat transfer tests were conducted for Reynolds numbers of 0.75, 1.5, 3.0, 5.0, and 7.0×10^6. The inlet Mach numbers ranged from 0.027 to 0.27; exit Mach numbers ranged from 0.058 to 0.71.

Data for turbulence intensity, pressure distribution (using the pressure distribution airfoil), and heat transfer (using the heat transfer airfoil) were recorded at Reynolds numbers of 0.75, 1.5, 3.0, 5.0, and 7.0×10^6. The first series of tests were conducted with a clear tunnel (no turbulence grid installed); the second series used the 1/8-in. grid; and the last series used the 1/4-in. grid.

Data Reduction Procedure

Heat Transfer

Surface heat transfer coefficients were obtained from the energy balance

$$ h = \frac{Q_i - Q_L}{A(T_{LC} - T_R)} \qquad (1) $$

where the local heat transfer coefficient h was calculated at the location of the calibrated color band (an isotherm which, in this case, also represents a uniform heat transfer coefficient). The heat energy Q_i supplied to the Inconel heater sheet was calculated from the measured voltage across the sheet and the current through a shunt resistor in series with the sheet. The heat loss Q_L was the calculated radiation loss from the surface. The very

low thermal conductivity material used for the airfoil makes interior heat conduction loss negligible, and thus it is neglected. The area A was the measured area of the Inconel heater sheet. The temperature of the test surface T_{LC} was the calibrated liquid crystal temperature. The local recovery temperature T_R of the free-stream air around the airfoil was calculated as

$$ T_R = T_{st} + r(T_t - T_{st}) \qquad (2) $$

where T_{st} and T_t are the local static and total air temperatures around the airfoil, and r is the recovery factor, defined as the cube root of the Prandtl number.

Reynolds Number Measurement

The Reynolds number is based on the axial chord and the exit conditions:

$$ Re = \frac{C(\rho V)_{exit}}{\mu} \qquad (3) $$

where C is the chord length, ρ is the fluid density, V is the fluid velocity, and μ is the dynamic viscosity, $(\rho V)_{exit} = W/A_{exit}$, and

$$ A_{exit} = S \cos \theta \qquad (4) $$

S is the blade pitch, and θ is the flow exit angle. In this paper, the flow angle is taken as equal to the camber angle (61.7°), which is approximately the case for subsonic flow. W is measured by a sharp-edged orifice downstream of the test section.

Turbulence Measurements

Turbulence intensity was measured with a TSI model 1210–20 hot film probe located 6.19 in. downstream of the turbulence grid. Flow was normal to the probe axis. The probe was calibrated in the tunnel, upstream of the turbulence grid and boundary layer bleeds, by varying the Reynolds number over the range used in this study. The probe voltage was plotted against the calculated density-velocity product, and a fourth-order, least-squares curve fit was obtained:

$$ \rho V = B_0 + B_1 E + B_2 E^2 + B_3 E^3 + B_4 E^4 \qquad (5) $$

where ρV is the density-velocity product, B is the polynomial coefficient, and E is the mean voltage read from an integrating voltmeter. The turbulence intensity was then obtained from the calibration curve as

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$$Tu = \frac{\rho V'}{\rho V} = \frac{d[\rho V(E)]}{dE} \frac{dE}{\rho V(E)} \qquad (6)$$

where dE is taken as the root mean square of the fluctuating voltage read from a true rms meter. The turbulence intensity was measured in midchannel because it represented the location in the flow channel least affected by the airfoil leading edge and the sidewall.

Results and Discussion

Figure 5 presents turbulence intensities as a function of Reynolds number for three test conditions: clear tunnel (no grid), 1/8- and 1/4-in. grids. In general, the turbulence intensities show a stronger Reynolds number dependency at lower Reynolds numbers. In all cases, the turbulence intensities decreased only slightly for Reynolds numbers greater than 3.0×10^6. The turbulence intensities for the clear tunnel (no grid) shown here are higher than those obtained from a typical quiescent wind tunnel because of the turbulent pipe flow condition that exists ahead of the test section. For the cases of the 1/8- and 1/4-in. bar grids, the turbulence intensities are in general agreement with those calculated from Baines and Peterson[5] for Reynolds numbers greater than 3.0×10^6.

Pressure Distribution

Both the airfoil and the contoured sidewalls were instrumented with the same number of pressure taps to check the effect of periodicity, as well as the three-dimensionality, of the flow in the cascade.

Figures 6(a) and (b) show the effect of turbulence intensity on the airfoil pressure distribution at midspan at Reynolds numbers of 3.0 and 7.0×10^6, respectively. The turbulence levels varied from 12.3 to 1.8 percent depending on the Reynolds numbers and the turbulence grids used in these tests. The figures indicated that turbulence intensity has little or no effect on the airfoil pressure distribution. The turbulence intensity effects at other Reynolds numbers are also negligible. Similar plots for the airfoil hub and tip regions of the present experiment also show little or no turbulence intensity dependency on pressure distribution. These findings are in general agreement with Dring et al.,[6] who reported on the aerodynamic and heat transfer characteristics of a large-scale rotating turbine model. They found that the midspan pressure distributions were essentially unaffected by the turbulence generating grid.

Figure 7(a) compares the airfoil pressure distribution at the hub, midspan, and tip for a Reynolds number of 3.0×10^6 and a turbulence intensity of 6.5 percent (1/8-in. grid). The figures show that, except near the

suction surface leading edge, there is no variation in the spanwise pressure distribution. This is an indication that the flow on the airfoil is mostly two-dimensional. Similar results are noted in Fig. 7(b) for a Reynolds number of 7.0×10^6 and a turbulence intensity of 5.9 percent.

For the 1/8-in. grid case, Figs. 8(a) to (c) compare the pressure distribution between the airfoil and the contoured sidewall at midspan for Reynolds numbers of 3.0, 5.0, and 7.0×10^6. The agreement between the airfoil and the contoured sidewall is good on the pressure surface for all the Reynolds numbers shown. For the suction surface, the agreement is also good for about 50 percent of the airfoil. From about 50 percent of the chord to the trailing edge, there is deviation between the airfoil and sidewall pressure distribution. The deviation increases progressively with Reynolds number. The deviation is especially obvious at a Reynolds number of 7.0×10^6. It is speculated here that the reason for the deviation at the suction surface near the trailing edge is that the facility is not a true cascade. In a true cascade, the airfoil suction surface would be uncovered downstream of the throat. In this facility the continuation of the contoured sidewall pressure surface that forms the cascade wall would cause the air to continue to accelerate downstream of the throat, thereby causing the pressure to decrease. This effect is seen at all Reynolds numbers; however, it was especially pronounced at Re = 7.0×10^6.

Heat Transfer

In Fig. 9(a) the heat transfer coefficient is plotted against the normalized surface distance s/L for Reynolds numbers of 0.75, 1.5, 3.0, 5.0, and 7.0×10^6 for the clear tunnel (no grid) case. As seen in the figure, heat transfer increases with Reynolds number, as expected. On the pressure surface, the transition (as evidenced by the sharp rise in the heat transfer coefficient) appears to occur near an s/L of 0.09, which is near the point of tangency of the leading edge circle. Examination of the liquid crystal photographs reveals the presence of a weak separation at this point. The pressure distribution contour also indicates a small adverse gradient near this region. It is speculated that flow separation at this point triggers the transition for the three highest Reynolds numbers; this is the reason why the transition point does not change with increasing Reynolds number. After the initial rise due to transition, the heat transfer coefficient continues to increase at a reduced rate; this is caused by the flow acceleration on the pressure surface.

On the suction surface, the location of the transition moves upstream with increasing Reynolds numbers, indicating that no flow separation is present. This is supported by the fact that the pressure distribution on the suction surface does not show any adverse pressure

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gradient and that the liquid crystal photographs do not show evidence of flow separation.

Near the suction surface trailing edge, the heat transfer coefficient for a Reynolds number of 7.0×10^6 shows an increasing trend, which is incompatible with the diffusion in this region shown in Fig. 8(c). The reason for this anomaly is not known at this time.

Figures 9 (b) and (c) present the heat transfer coefficients for the moderate and high turbulence cases (1/8- and 1/4-in. grids). On the pressure surface, the separation at $s/L = 0.09$ is still present and can be seen as a small dip in the heat transfer coefficient at the two lowest Reynolds numbers. As the Reynolds number is increased, the transition moves upstream from this point. For the two highest Reynolds numbers, there is an abnormal drop in the heat transfer coefficient at the end of the transition region that corresponds to the separation point. This drop was also observed by Hippensteele, Russell, and Torres.[4]

In comparison with Fig. 9(a) for the clear tunnel case, heat transfer for the suction surface and at the leading edge region is higher because of the higher turbulence intensity resulting from the 1/8- and 1/4-in. grids used. Also, transition from laminar to turbulent flow occurs sooner and over shorter distances. For the same reason, heat transfer for both the pressure and suction surfaces is also higher than that for the clear tunnel case. These trends were also noted by Dring et al.[6]

At the leading edge, where the flow is laminar, heat transfer varies as $Re^{0.5}$. A Frossling number $(Nu_d/(Re_{d,inlet})^{0.5})$ plot is useful: Frossling numbers for similar turbulence levels should fall on the same curve. Figure 10(a) is a plot of the Frossling numbers at the leading edge region for the clear tunnel case. The figure shows that, with some exceptions, the Frossling numbers in the leading edge region do generally fall on a single curve. The reason why some Frossling numbers are lower is not known at this time. Figure 10(a) also shows that there is a sharp increase in heat transfer in this transition regime, especially for the higher Reynolds numbers. Aft of the leading edge region, heat transfer departs from laminar behavior and will no longer vary as the square root of the Reynolds number.

Figure 10(b) shows Frossling numbers with moderate turbulence intensity (1/8-in. grid) upstream of the vane. Frossling numbers for the leading edge region again generally fall on a single curve. Because the stagnation region heat transfer is augmented by higher free-stream turbulence intensity, the level of this curve is higher than that for the lower turbulence case of Fig. 10(a). Figure 10(b) also shows that transition from laminar to turbulent flow also occurs sooner, especially for those at higher Reynolds numbers. Figure 10(c) shows Frossling numbers for high turbulence intensity (1/4-in. grid) upstream of the vane. The characteristics are similar to those of Fig. 10(b).

It would be reasonable to raise the question that, if laminar heat transfer at the leading edge with similar turbulence intensity levels can be normalized by the Frossling number, is it possible, for similar turbulence intensities, to normalize the turbulent heat transfer for the remaining airfoil surfaces? One possible approach would be to use the Nusselt number (based on the distance from the stagnation point) divided by the Reynolds number (based on the axial chord and exit conditions) raised to the 0.8 power $(Nu_s/(Re_{c,exit})^{0.8})$. Such an attempt was made using data from the 1/8-in. grid (see Fig. 11). In this figure, heat transfer values at the leading edge should be disregarded because the plotting parameter is not valid for the leading edge area. For the remaining airfoil surfaces, the figure shows a data spread of approximately ±6 percent on both the suction and pressure surface trailing edges. The data spread is larger near the transition region because transition occurs at different locations and over different transition lengths at different Reynolds numbers.

From the foregoing discussions, it may be concluded that, for similar turbulence intensities, heat transfer for high Reynolds numbers at the leading edge can be correlated by using the Frossling equation developed for lower Reynolds numbers. For the rest of the airfoil, heat transfer for similar turbulence intensities may be approximately correlated by using the parameter $Nu_s/(Re_{c,exit})^{0.8}$.

Figure 12(a) compares the effect of turbulence intensity at Re numbers of 0.75×10^6 for the clear tunnel, 1/8- and 1/4-in. grid cases, respectively. The increase in stagnation region heat transfer from the clear tunnel to the 1/8-in. grid (higher levels of turbulence) case is very evident. However, there seemed to be no difference between the 1/8- and 1/4-in. grid cases at the leading edge region. The fact that the heat transfer coefficient for the 1/8- and the 1/4-in. grid cases falls on the same curve is somewhat unexpected, considering the 1/8-in. grid produces a turbulence level of about 6 percent and the 1/4-in. grid about 11 percent. The reason for this result is not known, but it could possibly be attributed to the larger turbulent length scale for the 1/4-in. grid. The heat transfer coefficient in the stagnation region is proportional to the turbulence intensity, and it has been shown to be inversely proportional to the ratio of the length scale to the leading edge diameter (G. James VanFossen and Chan Y. Ching, "Measurement of the Influence of Turbulence Integral Length Scales on Stagnation Region Heat Transfer," to be published in 1993,

NASA Lewis Research Center, Cleveland, Ohio). The figure also shows that higher turbulence levels move transition further upstream.

Figure 12(b) compares the effect of turbulence intensity at Re = 7.0×10^6. At this high Reynolds number, the transition point has moved upstream almost to the stagnation point. The heat transfer coefficients for the 1/8-in. grid are still higher than those for the clear tunnel (no grid), but the heat transfer coefficients for the 1/8- and the 1/4-in. grid cases are no longer coincident in the stagnation region; the 1/4-in. grid has the highest heat transfer coefficients there.

In Fig. 13 the Frossling number at the stagnation point is plotted against a parameter developed by VanFossen and Ching. This parameter involves turbulence intensity, Reynolds number, and integral length scale. The solid curve is their correlation and the dashed curve is a ±8-percent error band. Length scales for the present data were estimated from VanFossen and Ching's curve fit of the length scale versus the distance; they used 1/2-, 1/4-, 1/8-, and 1/16-in. grids which had the same ratio of bar width to mesh spacing as that of the present test. For the data with clear tunnels (no grid), the length scale was set to the width of the test section, 8.5 in. Agreement with the correlation is reasonable especially at the high Reynolds numbers for the two turbulence grids. Agreement for the clear tunnel case is not quite as good but is still reasonable considering the greater uncertainty in the length scale used.

Figure 14 compares the pressure distributions of the airfoil and the contoured sidewall at Re = 7.0×10^6 with the computed pressure distribution from TRAFC2D superimposed. The predicted values agree well with the contoured sidewall experimental data, except that near the suction surface leading edge area. The small disagreement on the suction surface leading edge area is probably caused by the three-dimensional effect. Because the code used was a two-dimensional version, it was not able to follow the three-dimensional pressure distribution. The agreement is good for the rest of the sidewall surface. Agreement is generally good with the experimental pressure distribution on the airfoil, except in certain areas: near the suction surface leading edge, there is again the possible three-dimensional flow field effect, as just discussed; near the suction surface trailing edge area, the airfoil pressure was decreased because of the presence of the contoured sidewall (see the earlier discussion in the Pressure Distribution section).

A comparison of the predicted and experimental heat transfer coefficients is presented in Fig. 15 for Reynolds numbers of 1.5, 3.0, and 7.0×10^6 for the clear tunnel case. The predictive tool used was again TRAFC2D. As can be seen from the figure, the heat transfer coefficients on the suction surface are relatively well predicted. On the pressure surface, the heat transfer coefficients are underpredicted for all the Reynolds numbers. The predicted heat transfer values show encouraging results; however, it is evident that additional work on the predictive techniques is required.

Uncertainty Analysis

An uncertainty analysis, based on the work of Abernathy and Benedict[7] showed that the uncertainty is a function of Reynolds numbers. For all Reynolds numbers and all turbulence levels tested in this facility, a conservative estimate of the uncertainty of the heat transfer coefficients is approximately 6 percent, with the exception of two cases (Re = 3.0 and 5.0×10^6, for the clear tunnel). The uncertainty of the heat transfer coefficients for these two worst cases is 11 and 8.7 percent, respectively. The high uncertainty level of these two cases is attributed to the extremely warm air temperature in these tests (91 °F), resulting in a temperature difference of only 10 °F between the air and the liquid crystal.

Conclusions

Aerodynamic and heat transfer data were presented for Reynolds numbers ranging from 0.75 to 7.0×10^6 and turbulence intensities ranging from 1.8 to 15.1 percent. The range of Reynolds numbers encompassed those encountered in current aeropropulsion turbines and in the Space Shuttle main engine (SSME) turbopump turbines.

From the pressure distribution plots presented, it can be concluded that

1. The flow in the cascade was nonperiodic at the airfoil suction surface near the trailing edge. This nonperiodicity was evident in all Reynolds numbers although it was not very pronounced except at Re = 7.0×10^6.

2. The flow over the airfoil was primarily two-dimensional.

3. The turbulence intensity had a minimal effect on the pressure distribution, as expected.

4. A numerical solution using the TRAFC2D code for pressure distribution agreed well with the contoured sidewall data.

With respect to heat transfer, the results of this study indicated that

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1. Reynolds number had a large effect on heat transfer and on the transition from laminar to turbulent flow.

2. For the high Reynolds numbers typical of the Space Shuttle main engine turbopump, heat transfer was dominated by transitional and turbulent flow downstream of the stagnation region.

3. For a given turbulence intensity level, heat transfer at the leading edge for all Reynolds numbers can be correlated with the Frossling number developed for lower Reynolds numbers.

4. For a given turbulence intensity, heat transfer on the airfoil downstream of the leading edge can be approximately correlated by using a dimensionless parameter (Nusselt number, based on the distance from the stagnation point, divided by the Reynolds number, based on the axial chord and exit conditions, raised to the 0.8 power) to within ±6 percent at the trailing edge.

5. A comparison of the experimental heat transfer data with the numerical solution of the TRAFC2D code showed encouraging results.

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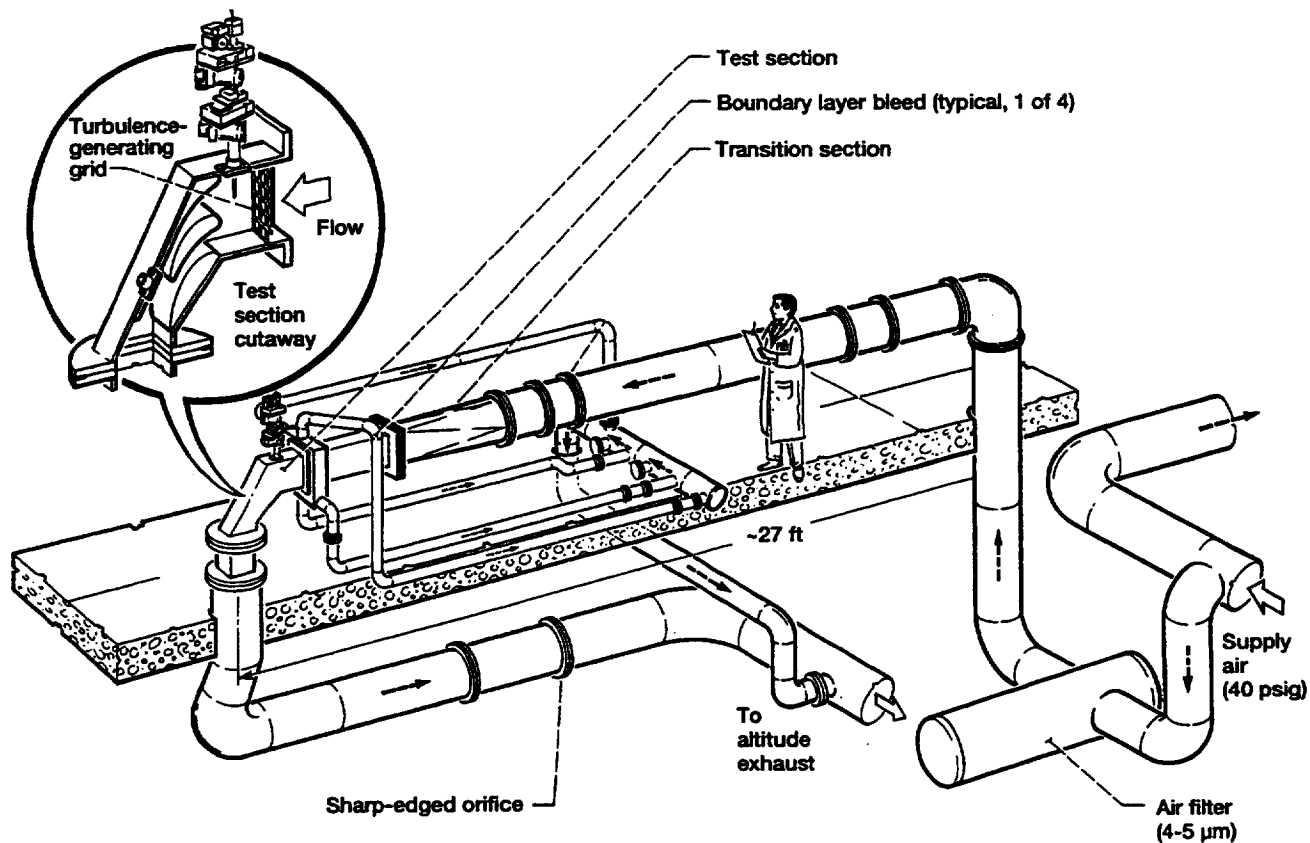
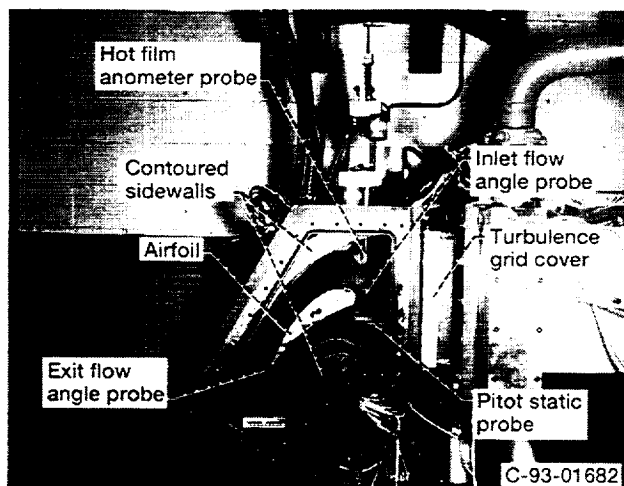Figure 1.—Variable Reynolds Number Heat Transfer Facility.

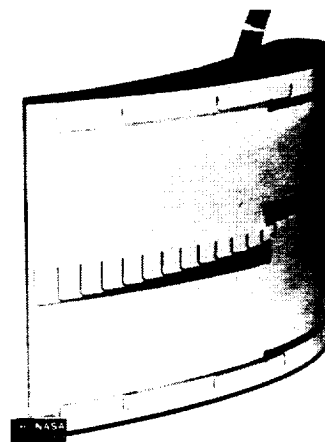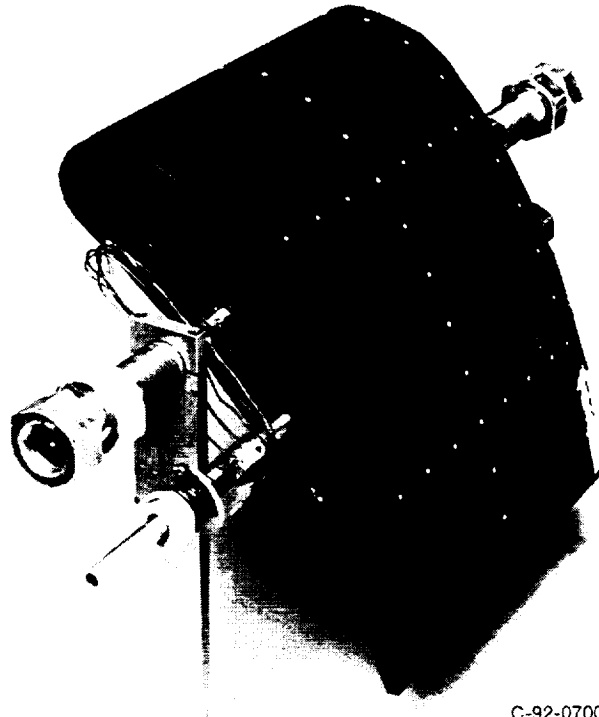

Figure 2.—Test section.

C-88-11421

Figure 3.—Pressure distribution airfoil showing pressure tap locations on suction surface.

C-92-07003

Figure 4.—Heat transfer airfoil showing grid markings for the
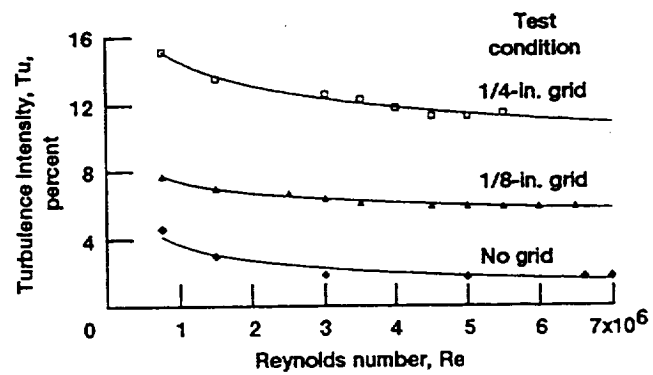locations of temperature distribution.

Figure 5.—Turbulence intensity as function of Reynolds number
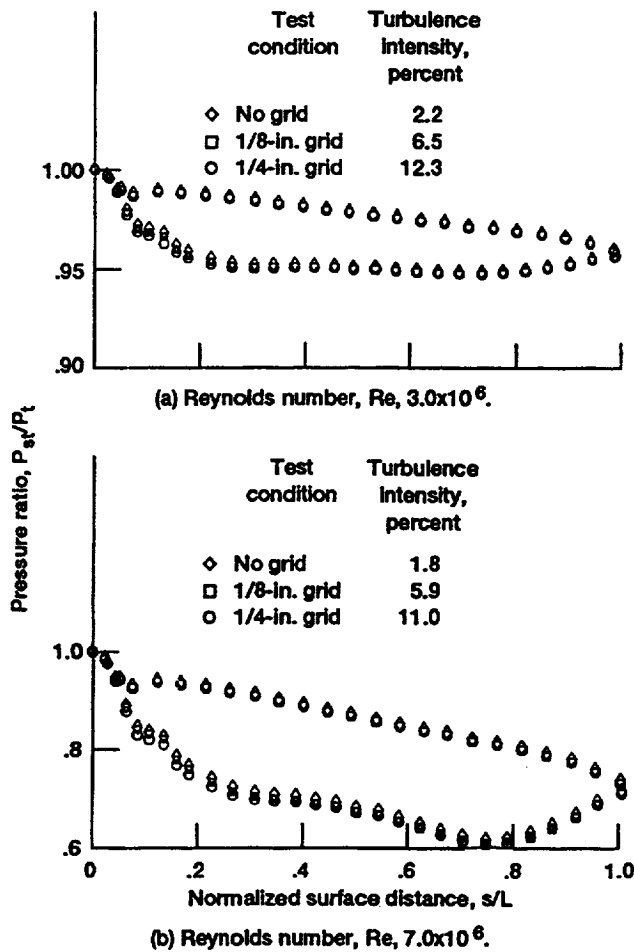for three test conditions.

Figure 6.—Effect of turbulence intensity on airfoil pressure distribution at midspan.

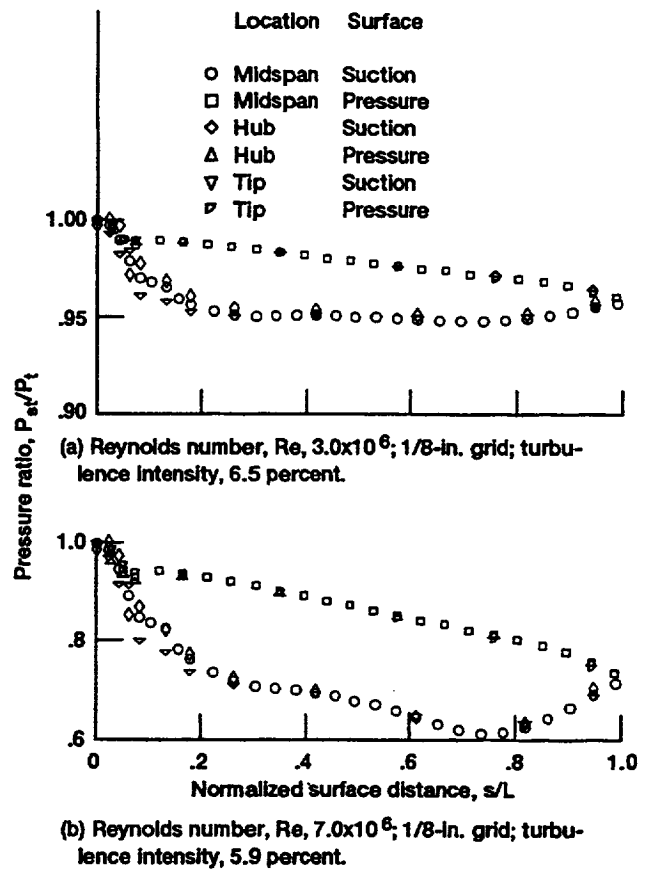(a) Reynolds number, Re, 3.0x10[6].
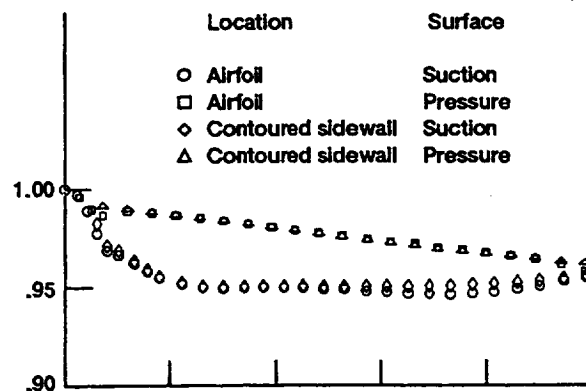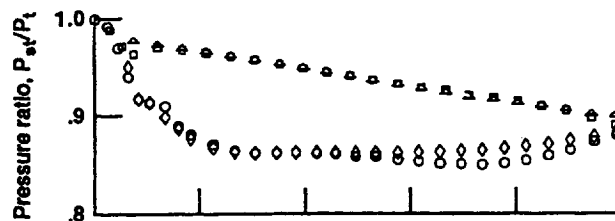
(b) Reynolds number, Re, 7.0x10[6].

Figure 7.—Airfoil pressure distribution at midspan, hub and tip.

(a) Reynolds number, Re, 3.0x10[6]; 1/8-in. grid; turbulence intensity, 6.5 percent.

(b) Reynolds number, Re, 7.0x10[6]; 1/8-in. grid; turbulence intensity, 5.9 percent.

Location	Surface
O Airfoil	Suction
□ Airfoil	Pressure
◇ Contoured sidewall	Suction
△ Contoured sidewall	Pressure

(a) Reynolds number, Re, 3.0×10^6; turbulence intensity, 6.5 percent.

(b) Reynolds number, Re, 5.0×10^6; turbulence intensity, 6.1 percent.
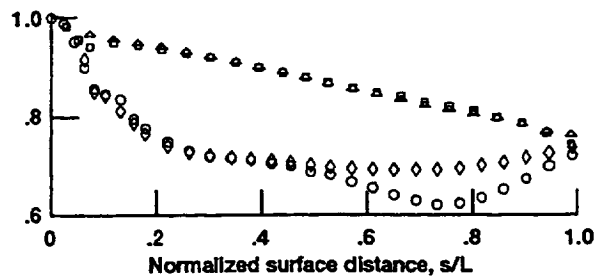
(c) Reynolds number, Re, 7.0×10^6; turbulence intensity, 5.9 percent.

Figure 8.—Comparision of airfoil and contoured sidewall pressure distribution at midspan for 1/8-in. grid.
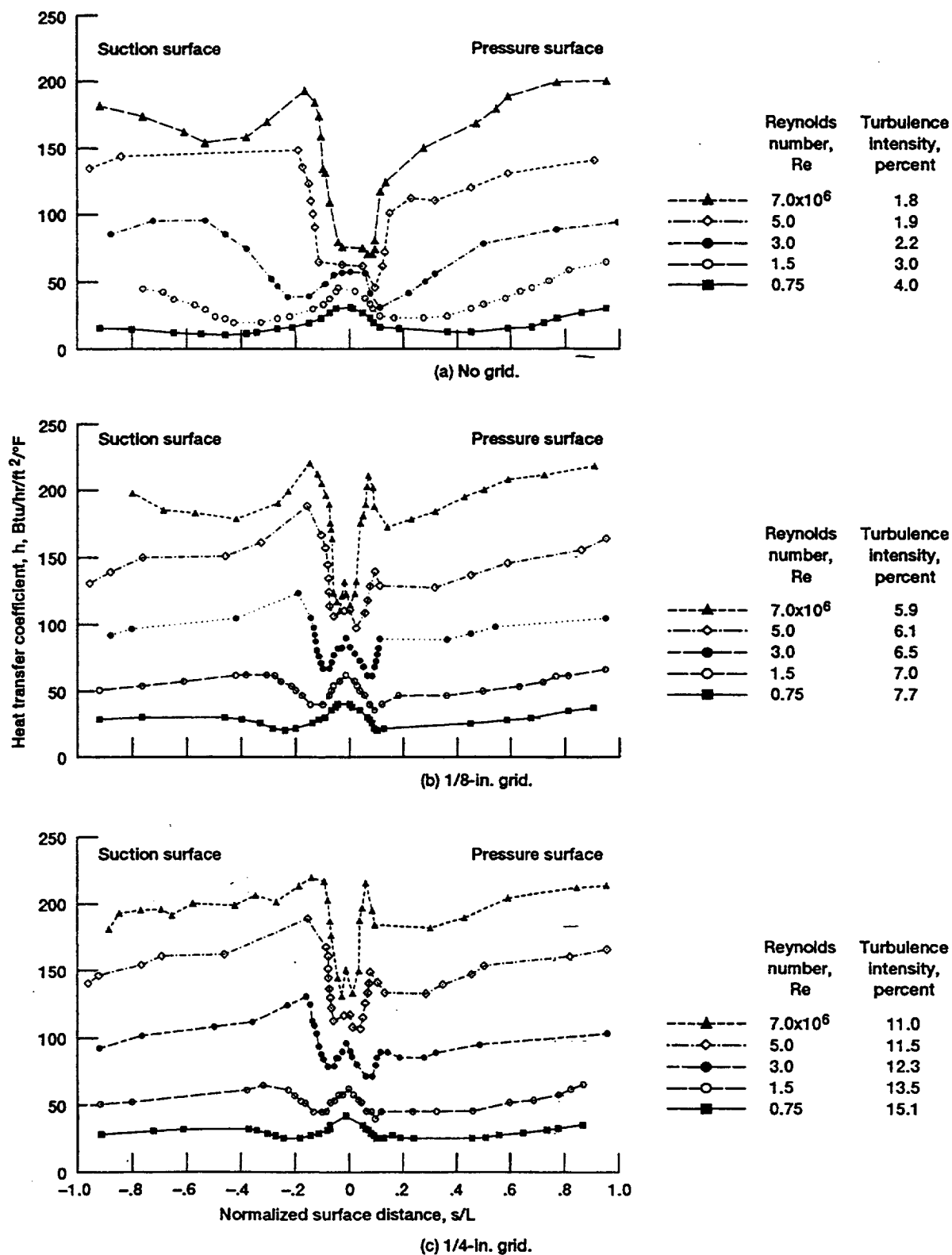
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(a) No grid.

Suction surface Pressure surface

Reynolds number, Re	Turbulence intensity, percent
7.0×10^6	1.8
5.0	1.9
3.0	2.2
1.5	3.0
0.75	4.0

(b) 1/8-in. grid.

Suction surface Pressure surface

Heat transfer coefficient, h, Btu/hr/ft^2/°F

Reynolds number, Re	Turbulence intensity, percent
7.0×10^6	5.9
5.0	6.1
3.0	6.5
1.5	7.0
0.75	7.7

(c) 1/4-in. grid.

Suction surface Pressure surface

Reynolds number, Re	Turbulence intensity, percent
7.0×10^6	11.0
5.0	11.5
3.0	12.3
1.5	13.5
0.75	15.1

Normalized surface distance, s/L

Figure 9.—Effect of Reynolds number on heat transfer coefficient.

(a) No grid.

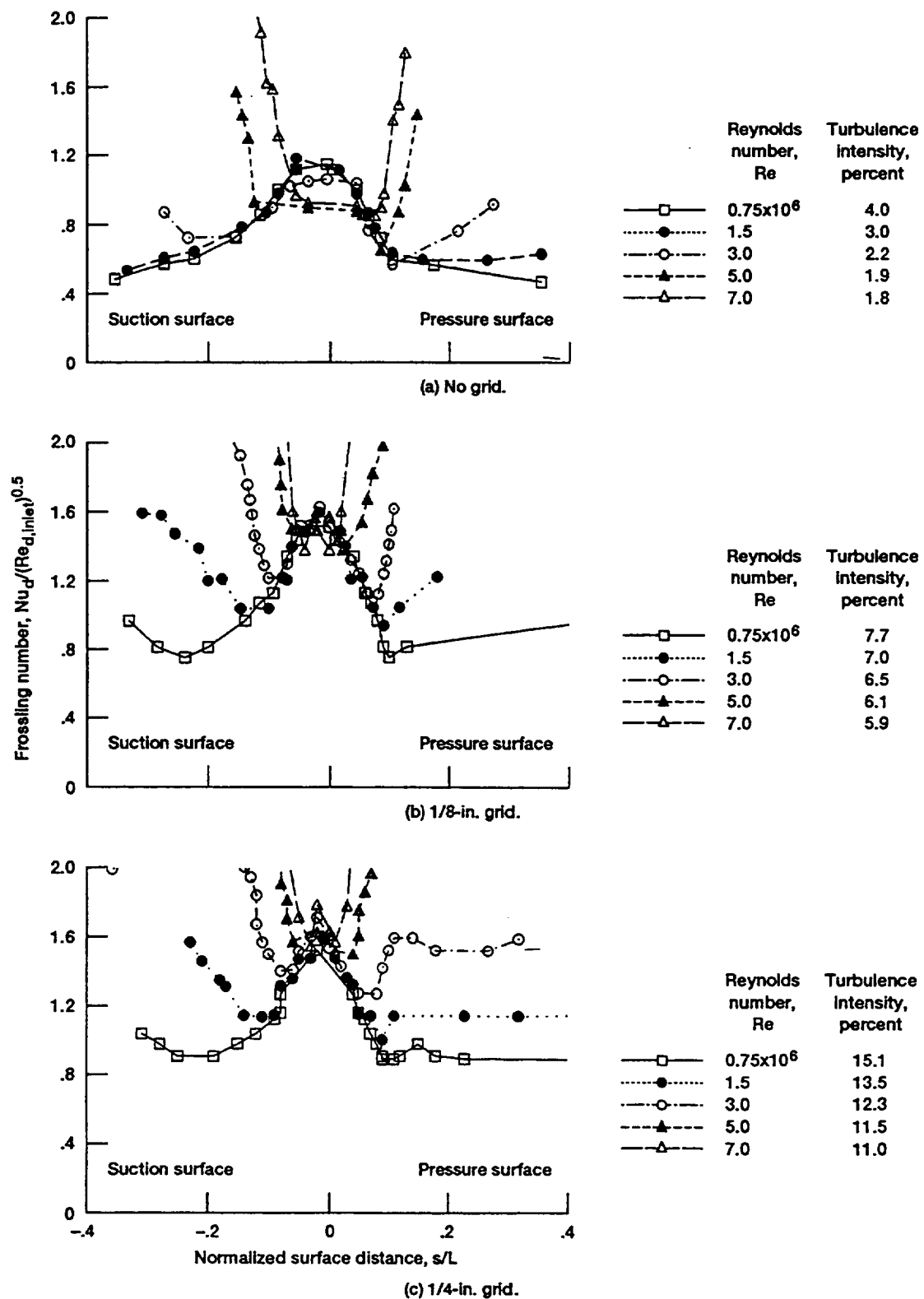(b) 1/8-in. grid.

(c) 1/4-in. grid.

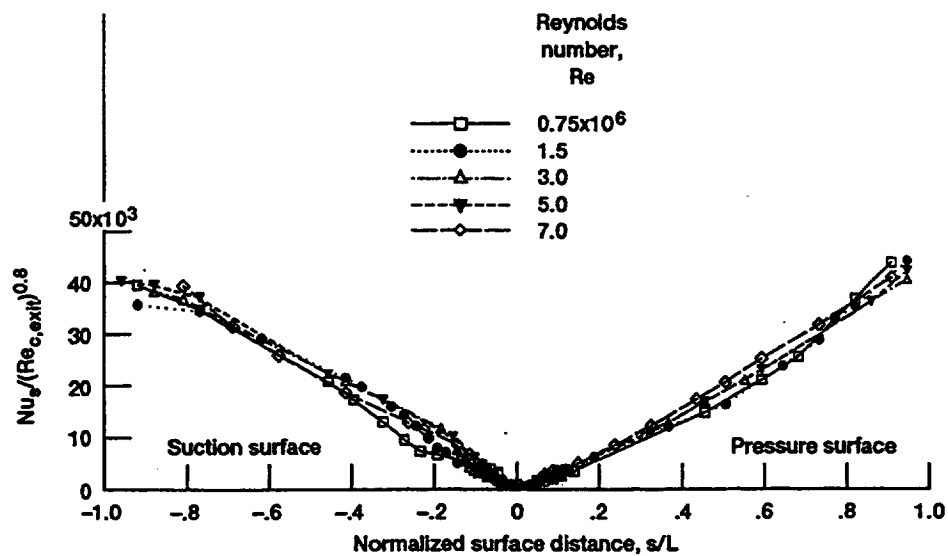Figure 10.—Frossling correlation of variable Reynolds number heat transfer data at leading edge.

Figure 11.—Correlation of variable Reynolds number heat transfer data for 1/8-in. grid case.
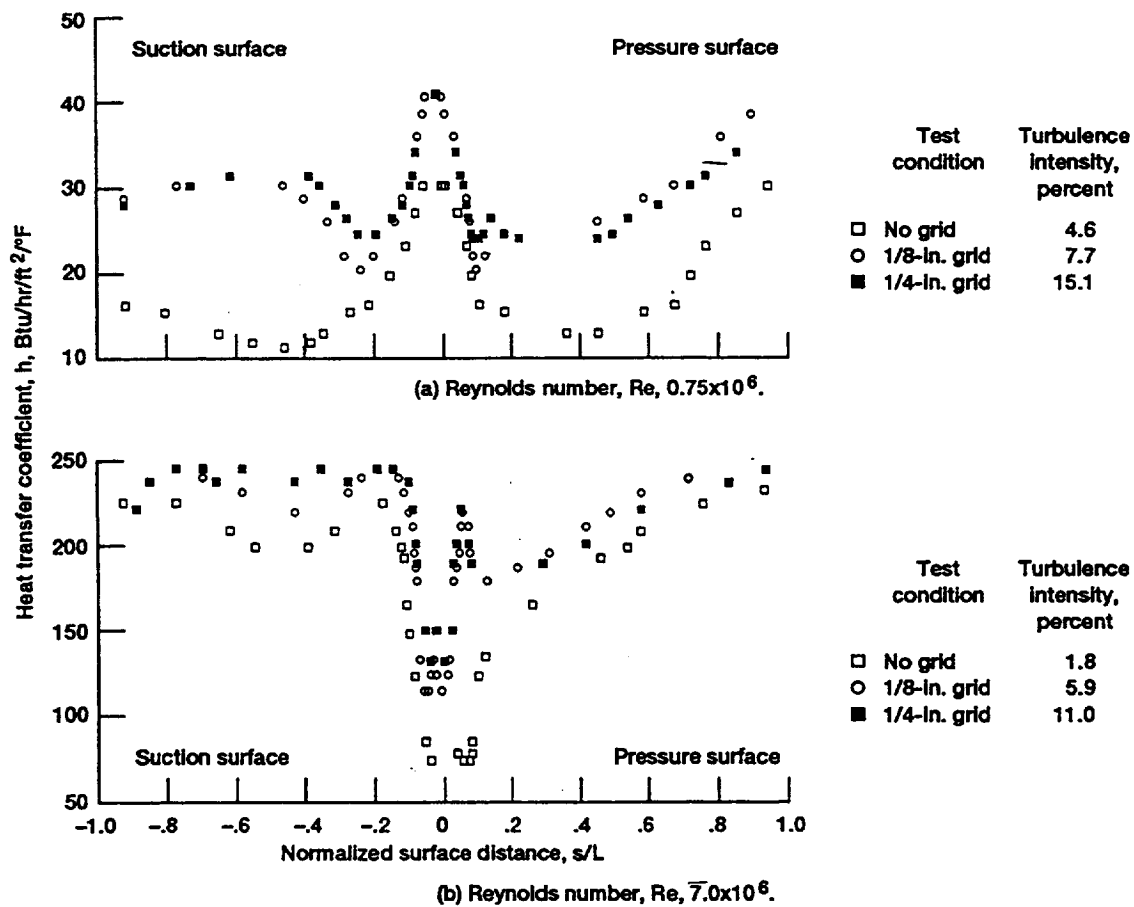

Test condition	Turbulence intensity, percent
□ No grid	4.6
O 1/8-in. grid	7.7
■ 1/4-in. grid	15.1

(a) Reynolds number, Re, 0.75×10^6.

Test condition	Turbulence intensity, percent
□ No grid	1.8
O 1/8-in. grid	5.9
■ 1/4-in. grid	11.0

(b) Reynolds number, Re, $\overline{7}.0 \times 10^6$.

Figure 12.—Effect of turbulence intensity on heat transfer coefficient.

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$$Fr(0) = A[TuRe_d^{0.812}(\Lambda_x/d)^{-0.576}]^{0.5} + C$$
$$A = 0.00732$$
$$C = 0.945$$

Test condition

$\triangle$	No grid
$\bigcirc$	1/8-in. grid
$\diamondsuit$	1/4-in. grid
——	Van Fossen/Ching fit
- - - -	±8-percent error band

Frossling number at stagnation point, $Fr(0)$

$TuRe_d^{0.812}(\Lambda_x/d)^{-0.576}$
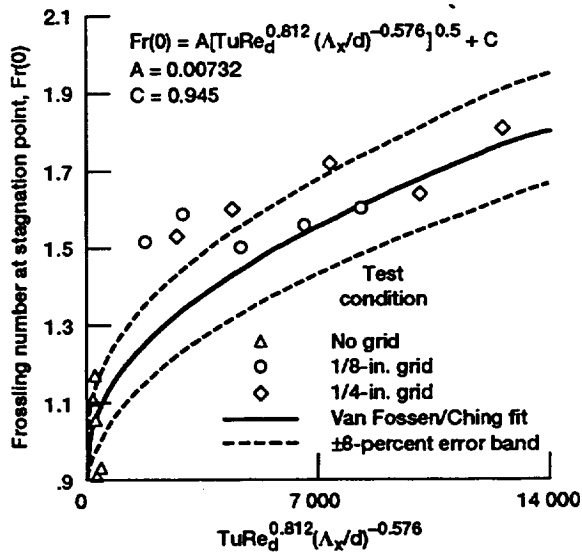
Figure 13.—Heat transfer at stagnation point.

Pressure distribution

$\bigcirc$	Airfoil
$\square$	Contoured sidewall
——	Calculated

Pressure ratio, P_{st}/P_t

Normalized surface distance, s/L
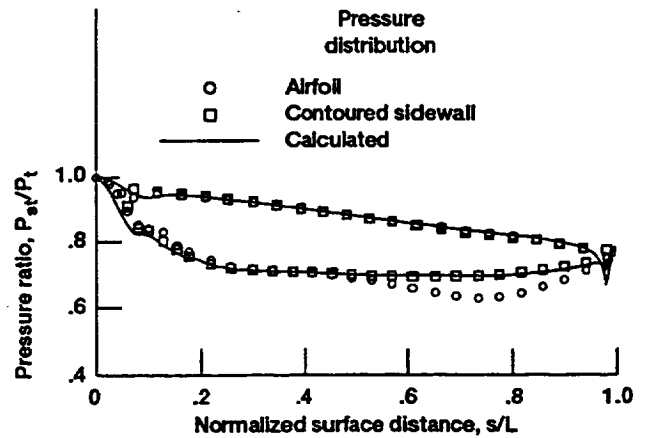
Figure 14.—Comparison of computed and experimental pressure distributions of airfoil and contoured sidewall at Reynolds number of 7.0×10^6.

Reynolds number, Re

$\bigcirc$	1.5×10^6	} Experiment
$\square$	3.0	
$\diamondsuit$	7.0	
——	1.5×10^6	} Computed
- - - -	3.0	
— —	7.0	

Heat transfer coefficient, h, Btu/hr/ft²/°F
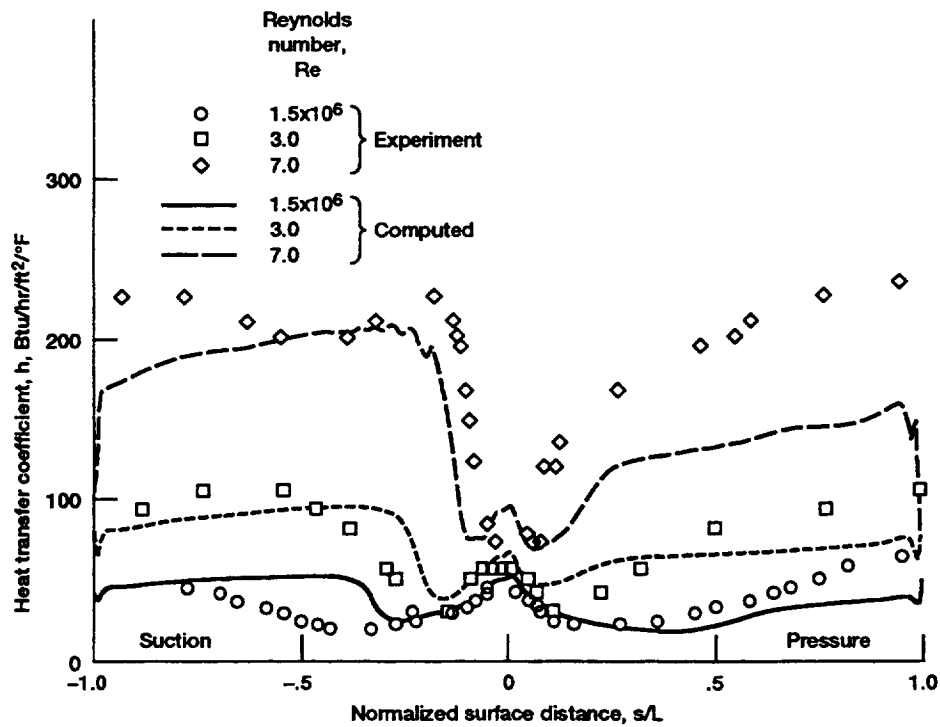
Suction

Pressure

Normalized surface distance, s/L

Figure 15.—Comparison of computed and experimental airfoil heat transfer coefficients for clear tunnel (no grid) condition.

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13. ABSTRACT (Maximum 200 words)

Experimental data on pressure distribution and heat transfer on a turbine airfoil were obtained over a range of Reynolds numbers from 0.75 to 7.5×10^6 and a range of turbulence intensities from 1.8 to about 15 percent. The purpose of this study was to obtain fundamental heat transfer and pressure distribution data over a wide range of high Reynolds numbers and to extend the heat transfer data base to include the range of Reynolds numbers encountered in the Space Shuttle main engine (SSME) turbopump turbines. Specifically, the study aimed to determine (1) the effect of Reynolds number on heat transfer, (2) the effect of upstream turbulence on heat transfer and pressure distribution, and (3) the relationship between heat transfer at high Reynolds numbers and the current data base. The results of this study indicated that Reynolds number and turbulence intensity have a large effect on both the transition from laminar to turbulent flow and the resulting heat transfer. For a given turbulence intensity, heat transfer for all Reynolds numbers at the leading edge can be correlated with the Frossling number developed for lower Reynolds numbers. For a given turbulence intensity, heat transfer for the airfoil surfaces downstream of the leading edge can be approximately correlated with a dimensionless parameter. Comparison of the experimental results were also made with a numerical solution from a two-dimensional Navier-Stokes code.

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